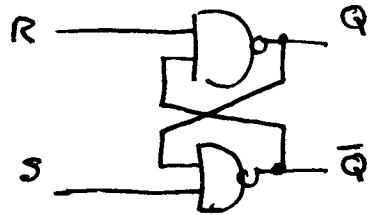


Electronics Homework Set #7

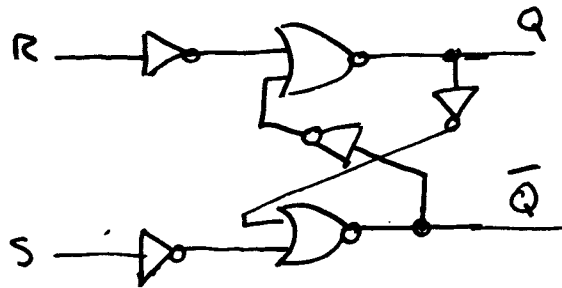
1.) a.)



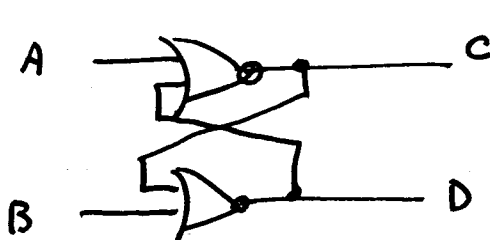
	R	S	Q	Q̄
	0	0	1	1
	0	1	1	0
①	1	1	1	0
	1	0	0	1
①	1	1	0	1

① the R=S=1 state is a no-change state.

b.) one way [ⓔ] to replace the NANDS with equivalent using NOR's :



a more basic way is to analyze NOR's in the "Flip-flop configuration":

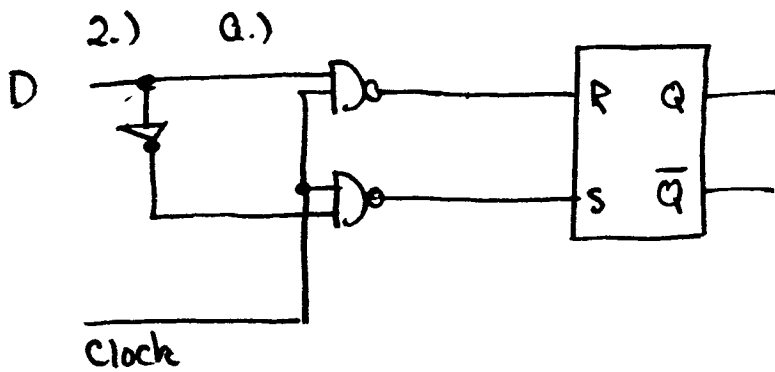


	A	B	C	D
	1	1	0	0
	0	1	1	0
①	0	0	1	0
	1	0	0	1
①	0	0	0	1

although ~~except~~ for the specific entries being a bit different, the essential features of the

RSFF are present here, especially the "no-change" character. A=B=0 is the no-change state

Set 7, P2.

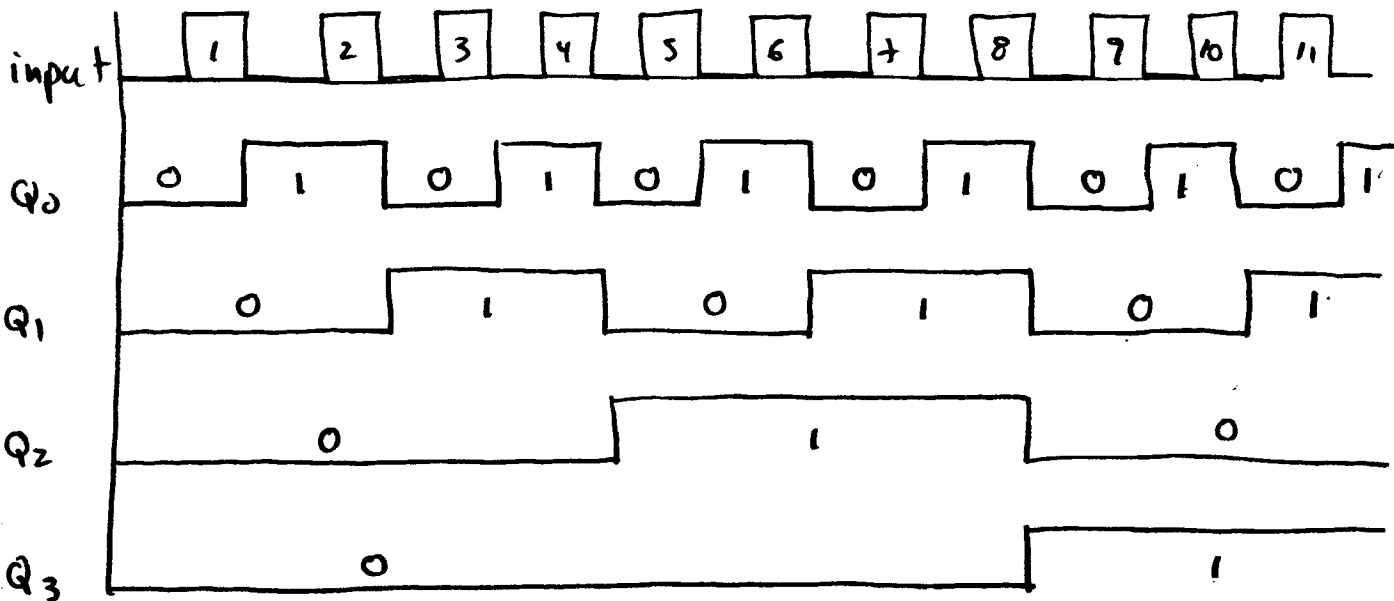
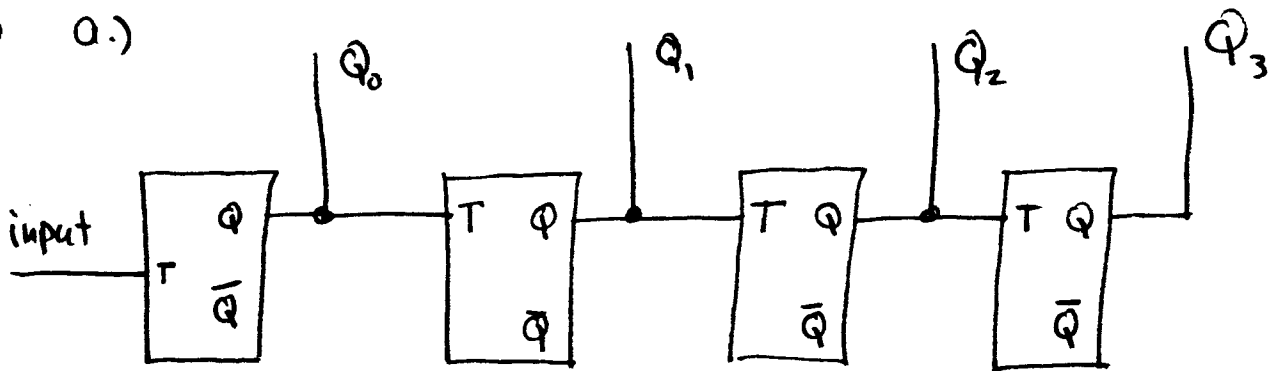


b.) When $C=1$, the Q output is ⁱⁿ the same ^{state} as the D input. When $C \rightarrow 0$, the Q output is "frozen" at the value (state) of the D input at the time of the transition. Thus the value of D is stored.

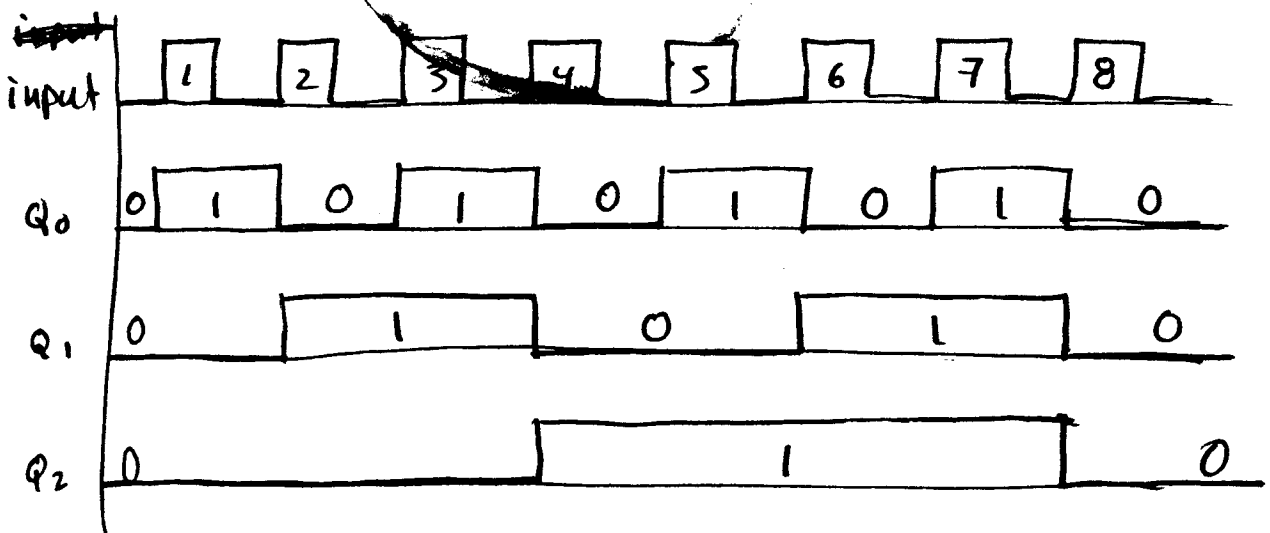
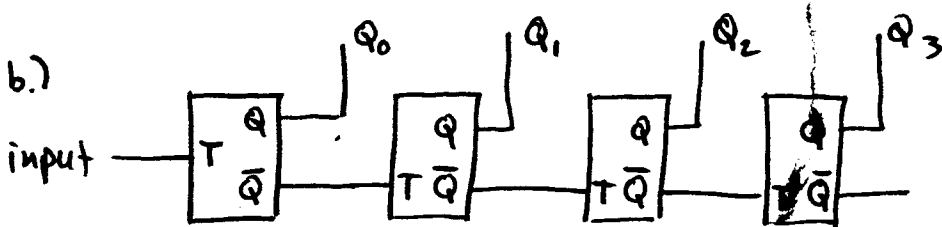
3.) "Toggle" means to reverse states. Specifically, TFF's toggle on each input pulse.

✱

4) a.)

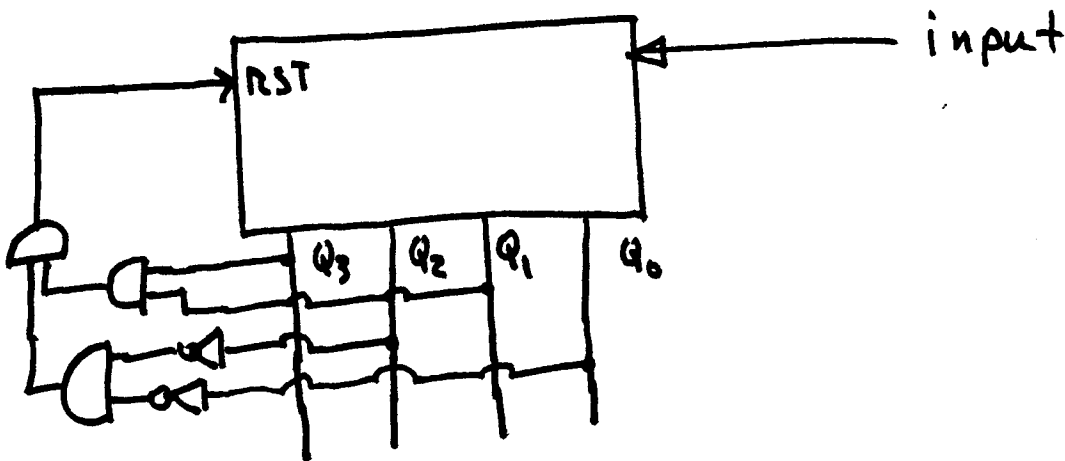


b.)



5.) Basic idea: reset = 1 when $Q_0 = 0$
 $Q_1 = 1$
 $Q_2 = 0$
 $Q_3 = 1$ } $1010|_2 = 10|_{10}$

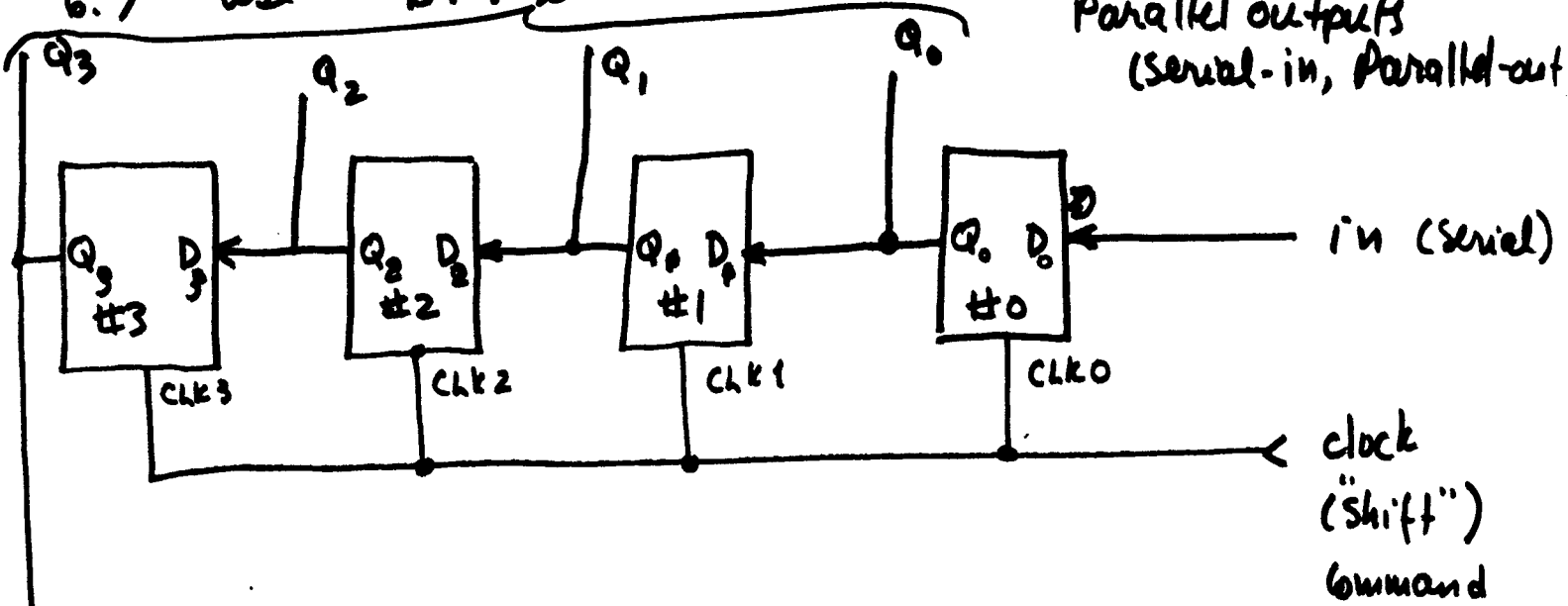
$$\therefore RST = Q_3 \cdot \bar{Q}_2 \cdot Q_1 \cdot \bar{Q}_0$$



alternate: RST = 1 when $Q_0 = 1$
 $Q_1 = 0$
 $Q_2 = 0$
 $Q_3 = 1$
 $in = 1$ } $1001|_2 = 9|_{10}$
 and input.

Note also that it is unnecessary to test 2 outputs in each case as the 1st time in a sequence that $Q_3 = 1$ and $Q_1 = 1$ (1st solution) occurs is the case of interest. So the 1st solution is equivalent to $RST = Q_3 \cdot Q_1$, while the "alternate" is $RST = Q_3 \cdot Q_0 \cdot IN$. (Both solutions permit glitches, by the way, and are not the best engineering)

6.) use DFF's :



(bit) Serial-in, Serial out (FIFO)